

697.7

... » . . . , . . .

«

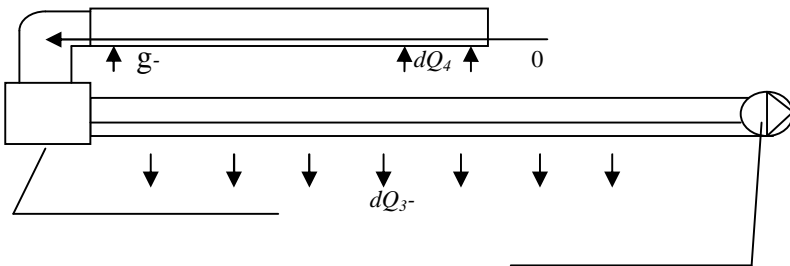
»



[1]

[2]

.1.



.1.

---

$$\rho w F = M = \text{const} \quad (1)$$

$$P = \rho R T \quad (2)$$

$$\frac{dP}{\rho} + \frac{\lambda}{d} \frac{w^2}{2} dx = 0 \quad (3)$$

$$dQ = c_p dT = dQ_1 = dQ_2 = dQ_3 + dQ_4 \quad (4)$$

$dx; dQ_2 -$

$dx; dQ_3 -$

$dx; dQ_4$

$dx.$

(4),

$T(x+ x);$

(3)

(2) -

$, w;$

(1) -

$, w.$

(2) - (3)

$, w, \dots -$

(1):

$$\begin{cases} wFdP + \rho Fdw = 0 \\ dP + \lambda \frac{dx}{D} \rho \frac{w^2}{2} = 0 \\ dP - RTd\rho - \rho RdT = 0 \end{cases} \quad (5)$$

(5)

$d, dw, dP$

$dx, dT.$

$x=0$

$P(0); w(0); (0); T(0); T(0).$

(5)

(5.1), (5.2) (5.3).

$$\begin{cases} wFdP + \rho Fdw = 0 \\ dP = -\lambda \frac{dx}{D} \rho \frac{w^2}{2} \\ dP - RTd\rho = \rho RdT \frac{wF}{RT} \end{cases}$$

$$\frac{wF}{RT} dP - wFd\rho = \frac{\rho wF}{T} dT \quad (5.3')$$

(5.1) (5.3),

:

$$\frac{wF}{RT} dP + \rho Fdw = \frac{\rho wF}{T} dT \left( -\frac{RT}{wF} \right) \quad (5.4)$$

$$-dP - \frac{\rho F}{wF} dw = -\frac{\rho wF}{T} \frac{RT}{wF} dT \quad (5.4')$$

(5.4') (5.2),

:

$$-\frac{\rho RT}{w} dw = -\lambda \frac{dx}{D} \rho \frac{w^2}{2} - \rho dT$$

$$\rho RT \frac{dw}{w} = +\lambda \frac{dx}{D} \rho \frac{w^2}{2} + \rho R dT \frac{T}{T}$$

$$P \frac{dw}{w} = \lambda \frac{dx}{D} \rho \frac{w^2}{2} + P \frac{dT}{T} \quad (5.5)$$

$$\frac{dw}{w} = \lambda \frac{dx}{D} \rho \frac{w^2}{2} / P + \frac{dT}{T} \quad (6)$$

C  $\frac{dP}{P} = -\lambda \frac{dx}{D} \rho \frac{w^2}{2} / P \quad (5.2), \quad (5.1):$

$$wF \rho \frac{d\rho}{\rho} + \rho wF \frac{dw}{w} = 0$$

$$\frac{d\rho}{\rho} + \frac{dw}{w} = 0, \dots \frac{d\rho}{\rho} = -\frac{dw}{w}$$

:

$$\frac{d\rho}{\rho} = -\lambda \frac{dx}{D} \rho \frac{w^2}{2} / P \quad (7)$$

$$\frac{dw}{w} = \lambda \frac{dx}{D} \rho \frac{w^2}{2} / P + \frac{dT}{T} \quad (8)$$

$$\frac{d\rho}{\rho} = -\lambda \frac{dx}{D} \rho \frac{w^2}{2} / P + \frac{dT}{T} \quad (9)$$

C (7)-(9), , , w

Re>4000 :

$$\lambda = 0,11 \left( \frac{k}{D} + \frac{68}{\text{Re}} \right)^{0,25},$$

k -

Re:

$$\lambda \approx 0,11 \left( \frac{h}{D} \right)^{0,25}$$

$$d(\rho wF) = Fg(x)dx, \quad (10)$$

$$\rho w dw = -dP - g(x)w dx, \quad (11)$$

$$\rho w d \left( i + \frac{w^2}{2} \right) = g(x) \left[ \Delta i(x) - \frac{w^2}{2} \right], \quad (12)$$

g- , , g=g(x)- , -  
 , - x. -  
 g  
 dw, d , dP, dT -

P, ,w,T g(x). :

$$P = \rho RT \quad (13)$$

(10):

$$wFd \rho + \rho Fdw + \rho wdF = Fg(x)dx \quad (10)$$

$$\rho wdw = -dP - g(x)wdx \quad (12)$$

, , (12)  
 :

$$\rho w c_p dT = g(x) \left[ c_p \Delta T - \frac{w^2}{2} \right] \quad (12)$$

$$dP = \rho R dT + RT d \rho \quad (13)$$

$$T = T(x) - T, \quad T(x) -$$

g(x); T - , ...  
 T(x). (12) dT:

$$dT = \frac{g(x)}{\rho w c_p} \left\{ c_p [T(x) - T] - \frac{w^2}{2} \right\}$$

(10) (11) dP d . -  
 dw (10) (11), :

$$\rho dw = g(x)dx - wd \rho - \rho w \frac{dF}{F}$$

$$\rho dw = -\frac{dP}{w} - g(x)dx$$

$$2g(x)dx - wd \rho - \rho w \frac{dF}{F} + \frac{dP}{w} = 0$$

(13) dP , :

$$wd\rho = \frac{(\rho R dT + RT d\rho)}{w} - \rho w \frac{dF}{F} + 2g(x)dx$$

$$d\rho \left[ w - \frac{RT}{w} \right] = \frac{RT}{w} dT - \rho w \frac{dF}{F} + 2g(x)dx$$

(13) - dP, (11) - dw.

T(x)

g(x),

g(x)  
g(x), T(x)

1. 87028, F24D 10/00.  
/ . . . , . . . ; 25.02.2009;  
. 10.06.2009, . 11.
2. «  
» 2229/ /11 02.02.2011// . . . ,  
. . . // (2011.01), F24D 15/00, F24C 15/00.
3. . . . .  
- //
4. : , 2001.- 4.- .41-46.  
. . . . .  
1985.- 279 .